

STR Y haplotype 95% CI

$$X = 2 \quad n = 1,000$$

- I made the x and n up AN EXAMPLE!
- frequency = $2/1,000 = 0.002$
- $(1-p) = 0.998$
- What is the frequency at which we would see zero of the “p” haplotype in a data base of 1,000?

$$\begin{aligned} n!/k!(n-k)!\{p\}^0\{1-p\}^{1000} &= 1000!/0!1000!\{.998\}^{1000} \\ &= 1\{.998\}^{1000}=0.135 \end{aligned}$$

The coefficient is 1, because there is only one way to get all non”p” haplotypes.

$$X = 2 \quad n = 1,000$$

- frequency = $2/1,000 = 0.002$
- $(1-p) = 0.998$
- What is the frequency at which we would see one of the “p” haplotype in a data base of 1,000?

$$= 1000!/1!999!\{.998\}^{999}\{.002\}$$

$$= 1000*999!/999!1![\{.998\}^{999}\{0.002\}]$$

$$= 1000[\{0.135\}\{0.002\}]=0.2706$$

Why is the coefficient 1000?

Adding them up

- First we asked what is the expected frequency of zero observances of “p” haplotype

$$= 0.135$$

Then we asked about one “p” haplotype

$$= 0.2706$$

$$= 0.41$$

If the frequency is $2/1,000$ we would expect to see either none or one 41% of the time in a data base of 1,000.

$$X = 2 \quad n = 1,000$$

- frequency = $2/1,000 = 0.002$
- $(1-p) = 0.998$
- What is the frequency at which we would see two of the “p” haplotype in a data base of 1,000?

$$\begin{aligned} & 1000!/2! * 998! \{.998\}^{998} \{0.002\}^2 \\ & = 1000 * 999 / 2! \{0.13561\} \{0.000004\} \\ & = 499500 \{0.000000542\} = 0.271 \end{aligned}$$

Adding them up

- First we asked what is the expected frequency of zero observances of “p” haplotype

=0.135

Then we asked about one “p” haplotype

= 0.2706

Then we asked about two “p” haplotypes

=0.2709

= 0.681

If the frequency is $2/1,000$ we would expect to see either none, one or two 68% of the time in a data base of 1,000.

So the upper 68% CONFIDENCE INTERVAL is $2/1000$

$$X = 2 \quad n = 1,000$$

- frequency = $2/1,000 = 0.002$
- $(1-p) = 0.998$
- What is the frequency at which we would see three of the “p” haplotype in a data base of 1,000?
= $1000 * 999 * 998 * 997! / 997! 3! [\{ .998 \}^{997} \{ 0.002 \}^3]$
= $1000 * 999 * 998 / 3 * 2 [\{ 0.13589 \} \{ 8 * 10^{-9} \}]$
= $500 * 333 * 998 \{ 1 * 10^{-9} \} = 0.181$

Adding them up

- First we asked what is the expected frequency of zero observances of “p” haplotype

=0.135

Then we asked about one “p” haplotype

= 0.2706

Then we asked about two “p” haplotypes

=0.2709

Then we asked about three “p” haplotypes

=0.181

= 0.862

If the frequency is 2/1,000 we would expect to see either none, one, two or three 86% of the time in a data base of 1,000.

So the upper 86% CI is 3/1000.

$$X = 2 \quad n = 1,000$$

- frequency = $2/1,000 = 0.002$
- $(1-p) = 0.998$
- What is the frequency at which we would see four of the “p” haplotype in a data base of 1,000?

$$= 1000 * 999 * 998 * 997 * 996!! / 996! 4! [\{.998\}^{996} \{0.002\}^4$$

$$= 250 * 333 * 499 * 997 [2.18 * 10^{-12}] = 0.09$$

Adding them up

- First we asked what is the expected frequency of zero observances of “p” haplotype

=0.135

Then we asked about one “p” haplotype

= 0.2706

Then we asked about two “p” haplotypes

=0.2709

Then we asked about three “p” haplotypes

=0.181

Then we asked about four “p” haplotypes

= 0.090

= 0.952

If the frequency is 2/1,000 we would expect to see either none, one, two, three or four “p” haplotypes 95% of the time in a data base of 1,000.

THE UPPER 95% CI is 4/1000.

How do we find the upper 99% CI?

GUESS WHAT IT IS?

Why is the frequency declining?